

## Predictive Analysis of COVID-19 Spread in Sri Lanka using an Adaptive Compartmental Model: Susceptible-Exposed-Infected-Recovered-Dead (SEIRD) Model

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### Abstract

The role of modelling in predicting the spread of an epidemic is important for health planning and policies. This study aimed to apply a dynamic Susceptible-Exposed-Infected-Recovered-Deaths (SEIRD) model and simulated it under a range of epidemic conditions using the Python programming language. The predictions were based on different scenarios, from without any preventive measures to several different preventive measures under  $R_0$  of 4. The model shows that more weight to personal protection can halt the spread of transmission followed by the closure of public places and interprovincial movement restriction. Results after simulating various scenarios indicate that disregarding personal protective measures can have devastating effects on the Sri Lankan population. The importance of strict adherence, maintain and monitoring of self-preventive measures lead to minimizing the death toll from COVID-19.

*Key words:* COVID-19; Deaths; Modelling; Predictions; SEIRD, Ministry of Health, Sri Lanka

### What we already know

- Compartmental models can be used to project scenarios with various disease control measures individually or as a useful combination for evidence-based policy formulation.
- Epidemiologists have been using mass action, compartmental models, over a hundred years which are famous for simplicity in both analysis and outcome assessment.
- Mathematical modelling plays a vital role in the highest level of policymaking in the fields of health economics, emergency planning, monitoring of surveillance data and, risk assessment and control.

### What this article adds

- This paper aimed to describe a dynamic Susceptible-Exposed-Infected-Recovered-Deaths (SEIRD) model and simulate it under a range of epidemiological conditions to give an insight into COVID-19 spread in Sri Lanka.
- The SEIRD model produces a time frame for preparedness and resource allocation of a country without exceeding the surge capacity which may lead to a disastrous situation which allows authorities to plan potential mortuary capacity and understand the burden on crematoria and burial services.
- New policy discussions need to occur whenever the best available options such as different preventive strategies and knowledge about the epidemiology changes.
- The proposed model can serve as a tool for health authorities for planning and policymaking to control the pandemic by implementing appropriate policy decisions on time to prevent a disastrous situation.

## 1. Introduction

The coronavirus disease has become a pandemic that poses a serious public health risk globally. The virus is mutating rapidly and producing many strains which is a significant threat to the control measures. The alpha strain is a more transmissible variant initially detected in the United Kingdom, it has been circulating in Sri Lanka as the main variant <sup>1</sup>. However, the delta variant which has higher transmissibility is currently being detected in several places from June to August 2021. In this context, an in-depth understanding of the current epidemic and demand dynamics is fundamental in health planning and policymaking, especially when the resources are limited. With the purpose of forecasting, different prediction models are proposed by various academics and groups <sup>2,3</sup>. Compartmental models can be used to project scenarios with various disease control measures individually or as a useful combination for evidence-based policy formulation. Furthermore, epidemiologists have been using mass action, compartmental models, over a hundred years which are famous for simplicity in both analysis and outcome assessment <sup>4</sup>. One scientific way of predicting the future directions and trends of an epidemic is the development of different compartment models <sup>5</sup>. The key element in this field of research is being able to link mathematical models and data. Both epidemiological data and findings of mathematical model studies can be compared for optimal results and guidance. Mathematical modelling plays a vital role in the highest level of policymaking in the fields of health economics, emergency planning, monitoring of surveillance data and, risk assessment and control. The Susceptible-Infectious-Recovered (SIR) class includes several compartmental models. The total population (N) is divided into Susceptible (S), Infectious (I), and Recovered compartments in the SIR model (R). Based on the same principle, the SIR models are expanded by adding an Exposed (E) compartment. Every individual in the population is assumed to be progressing through those four stages, from susceptibility to recovery. Although there are some limitations in real-life situations, this has been used as a basic model for various epidemics <sup>4,5</sup>. Importantly,

COVID-19 widespread community transmission could be a public health nightmare, and Sri Lanka is no exception. To ensure an adequate public health response to reduce morbidity and mortality in the occurrence of widespread community transmission, health authorities must be prepared for the worst-case scenarios. Therefore, it is quantified using one of the simplest SIR compartmental epidemiological models available <sup>6</sup>. However, death compartment has been shown as an important compartment in forecasting, it was included in the SEIR model (a derivative of the classic SIR model), and the Susceptible-Exposed-Infected-Recovered-Death (SEIRD) forecasting model was developed. Therefore, this paper aims to describe a dynamic Susceptible-Exposed-Infected-Recovered-Deaths (SEIRD) model and simulate it under a range of epidemiological conditions to give an insight into COVID-19 spread in Sri Lanka.

2. Methods

Many compartmental models belong to the basic Susceptible-Infectious-Recovered (SIR) class <sup>4,7,8</sup>. The SIR models are further extended by adding an Exposed (E) compartment. We constructed a compartmental epidemiological model in the Figure 1 with vital dynamics describing the number of individuals in a fixed population who are susceptible to infection (S), exposed (E), infected (I), recovered (R), and deaths (D) compartments<sup>4,5</sup>.

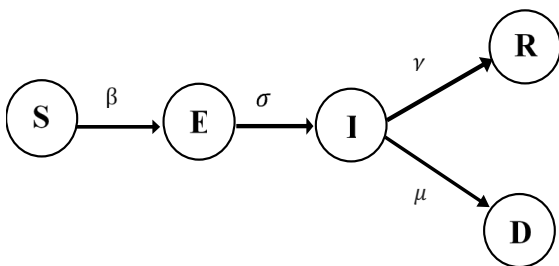


Figure 1: SEIRD Model with Transition Forces

We extracted publicly available data with permission from the official website of the Health Promotion Bureau (HPB) and the Epidemiology Unit, Ministry of Health, Sri Lanka <sup>9,10</sup>. We used anonymized data for this analysis and extracted data relevant to cases reported from the 11<sup>th</sup> of March 2020 to the 5<sup>th</sup> of July 2021. For the development of the prediction model, three dynamic variables were considered. The first variable was personal measures (the practice of

social distancing, wearing masks and handwashing) which was considered by the way they were adopted (100%, 50% and 25%). The second variable was inter-provincial movement restrictions with 100%, 75% and 50% adaptation. The third variable was the closure of places (public place, school, workplace) with 100%, 50% and 33% adaptation. The weighted factors for the three scenarios were 0.70, 0.33, 0.10 for personal measures, 0.15, 0.33, 0.60 for the movement restrictions, and 0.15, 0.33 and 0.30 for the closure of places, respectively. The predictions for SEIRD were made when the R<sub>0</sub> value is 4. Python programming language was used for the analysis.

2.1 Model equations

The flow of individuals through the compartments of the model is governed by a set of Ordinary Differential Equations (ODE) as given below.

$$\begin{aligned} \frac{ds}{dt} &= \frac{-\beta IS}{N} \\ \frac{dE}{dt} &= \frac{\beta IS}{N} - \sigma E \\ \frac{dI}{dt} &= \sigma E - \gamma I - \mu I \\ \frac{dR}{dt} &= \gamma I \\ \frac{dD}{dt} &= \mu I \end{aligned}$$

2.2 Disease characteristics and model parameters

The available COVID-19 data was used as the disease characteristics in this exploration and the model parameters were based on the data <sup>5,9,11-16</sup>. (Refer Table 1).

**Table 1. Disease characteristics and model parameters**

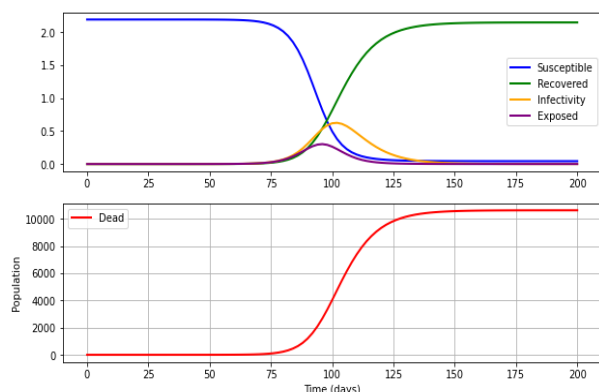
Parameter	Definition	Value	Reference
N	Total Estimated Population	21,919,000	10
S	Susceptible 'Individuals in the population who do not infected, vaccinated or immune'	21,919,000-1=21,918,999 (On day 1)	Assumed
E	Exposed 'Individuals exposed but not yet infectious'	1 (On day 1)	Assumed
I	Infected 'Individuals able to transmit infection'	0 (On day 1)	Assumed
R	Recovered 'Individuals neither infectious nor able to be infected'	0 (On day 1)	Assumed
R <sub>0</sub>	Basic reproduction number 'New infections generated by each infectious individual in a susceptible population without transmission reduction measures'	2.53	5
R <sub>0(a)</sub>	Basic reproductive number (Assumed for prediction)	4	Assumed
$\beta$	Transmission coefficient ( $R_t \cdot \gamma$ )	Derived	Derived
$\gamma^{-1}$	Infectious period 'Time from the onset of infectiousness to reversion to non-infectiousness'	8.5 days	12
$\sigma$	Latent period 'Time from exposure to the development of infectiousness'	3.2 days	13
n (Cases)	Number of confirmed cases	266,499 (by 05-07-2021)	9
n (Deaths)	Total confirmed deaths	3,268 (by 05-07-2021)	9
$\mu$	Case fatality ratio 'Proportion of all infections that result in death'	1.23%	14, 15
T <sub>(I-D)</sub>	Time from infection to death	22 days	14, 15

### 3. Results

The figures below show the predictions of various preventive strategies which were based on  $R_0$  of 4. The X-axis shows the time (in days), and the Y-axis shows the population. The number of susceptible individuals is shown in blue, recovered in green, infective in yellow, exposed in purple and deaths in red.

#### 3.1 Predictions based on the SEIRD model without any preventive strategies

If the  $R_0=4$ , the peak of the infectious will occurs around day 100 with 6.3 million infected individuals. Out of all exposed and infected individuals, 10,617 will die following 150 days after the beginning of the epidemic curve if there are no proper strategies to prevent the outbreak.



**Figure 2. Predictions based on the SEIRD model  $R_0 = 4$  without any preventive strategies**  
X axis: Population=  $e10^7$

### 3.2 Scenario One

**3.2.1** Predictions of SEIRD with 70% of personal protection (social distancing, wearing masks and handwashing), 15% of movement restrictions and 15% of closure places (public place, school, workplace) with  $R_0$  of 4 with different strategies

We observed how the SEIRD dynamics are affected by different preventive strategies for COVID-19 at a specific time in the system's evolution.

#### 3.2.1.1 With the implementation of 100%, 50% and 25% of personal protection

**3.2.1.2** With 100%, 50% and 25% of personal protection are implemented at  $R_0$  of 4, the rate of deaths will be increased from 600 days, 125 days, 85 days, with 3,409 deaths in 1200 days (with 0.24 million infected individuals), 9,803 deaths in 250 days (with 3.9 million infected individuals) and 10,373 deaths in 175 days (with 5.2 million infected individuals) will be observed, respectively. There is no visible peak observed with 100% personal protection. However, the number of days to achieve the peak of the infection curve will be 160 days with 3 million and 125 days with 4 million infected individuals at the peak of the infection curves with 50% and 25% personal protection, respectively. [Refer Supplementary Figure 1 and Supplementary table].

#### 3.2.1.3 With implementation of 100%, 75% and 50% of movement restrictions

With 100%, 75% and 50% of movement restrictions, the rate of deaths will be increased from 85 days, 80 days, and 75 days with 10,417 deaths in 175 days (with 5.4 million infected individuals), 10,481 deaths in 160 days (with 5.6 million infected individuals) and 10,535 deaths in 150 days (with 5.8 million infected individuals) will be observed, respectively. Moreover, the number of days to achieve the peak of the infection curve will be 120 days, 115 days, and 110 days, respectively.

[Refer Supplementary Figure 1 and Supplementary table]

### 3.3 Scenario Two

**3.3.1** Predictions of SEIRD with personal protection (social distancing, mask, hand washing), movement restrictions and closure (public place, school, workplace) with  $R_0$  of 4 with equal weight (33%) for all three dynamic variables

#### 3.3.1.1 With the implementation of 100%, 50% and 25% of personal protection

With 100%, 50% and 25% of personal protection are implemented at  $R_0$  of 4, the rate of deaths will be

increased from 120 days, 85 days, and 75 days and 9,897 deaths in 200 days (with 4.1 million infected individuals), 10,387 deaths in 175 days (with 5.3 million infected individuals) and 10,525 deaths in 150 days (with 5.8 million infected individuals) will be observed. Furthermore, the number of days to achieve the peak of the infection curve will be 150 days, 120 days, and 110 days with 4 million, 3.5 million and 5.8 million infected individuals at the peak of the infection curves respectively.

[Refer Supplementary Figure 2 and Supplementary table]

### **3.3.1.2** With implementation of 100%, 75% and 50% of movement restrictions

With 100%, 75% and 50% of movement restrictions are implemented at  $R_0$  of 4, the rate of deaths will be increased from 115 days, 100 days, and 85 days with 9,663 deaths in 200 days (with 4.1 million infected individuals), 10,165 deaths in 200 days (with 4.7 million infected individuals) and 10,387 deaths in 175 days (with 5.3 million infected individuals) will be observed, respectively. Moreover, the number of days to achieve the peak of the infection curve will be 120 days, 115 days, and 110 days with an infected individuals of approximately 4 million, 4.5 million and 5 million at the peak of the infection curves, respectively.

[Refer Supplementary Figure 2 and Supplementary table]

### **3.3.1.3** With the implementation of 100%, 50% and 33% of Closure of Places

With the 100%, 50% and 33% of closure of places are implemented at  $R_0$  of 4, the rate of deaths will be increased from 120 days, 90 days, and 80 days with 9,663 deaths in 200 days (with 4.1 million infected individuals), 10,387 deaths in 175 days (with 5.3 million infected individuals) and 10,487 deaths in 150 days (with 5.7 million infected individuals) will be observed. Furthermore, the number of days to achieve the peak of the infection curve will be 160 days, 120 days, and 115 days with an infected individuals of 2.5 million, 5 million and 5.5 million at the peak of the infection curves, respectively.

[Refer Supplementary Figure 2 and Supplementary table]

## **3.4 Scenario Three**

**3.4.1** Predictions of SEIRD with 10% of personal protection (social distancing, mask, hand washing), 60% of movement restrictions and 30% of closure of places (public place, school, workplace) with  $R_0$  of 4

### **3.4.1.1** With the implementation of 100%, 50% and 25% of personal protection

With the 100%, 50% and 25% of personal protection are implemented at  $R_0$  of 4, the rate of deaths will be increased from 85 days, 80 days, and 75 days, with 10,500 deaths in 150 days (with 6.3 million infected individuals), 10,565 deaths in 150 days (with 5.7 million infected individuals) and 10,592 deaths in 150 days (with 6.1 million infected individuals) will be observed, respectively. Furthermore, the number of days to achieve the peak of the infection curve will be 115 days, 110 days, and 105 days with 5 million, 6 million and 6.5 million infected individuals at the peak of the infection curves, respectively.

[Refer Supplementary Figure 3 and Supplementary table]

### **3.4.1.2** With implementation of 100%, 75% and 50% of movement restrictions

With the 100%, 75% and 50% of movement restrictions are implemented at  $R_0$  of 4, the rate of deaths will be increased from 250 days, 150 days, and 110 days with 6,950 deaths in 500 days (with 1.3 million infected individuals), 9,142 deaths in 250 days (with 2.96 million infected individuals) and 9,912 deaths in 200 days (with 4.3 million infected individuals) will be observed. Moreover, the number of days to achieve the peak of the infection curve will be 350 days, 200 days, and 150 days with infected individuals of 0.5 million, 2.5 million and 4 million at the peak of the infection curves, respectively.

[Refer Supplementary Figure 3 and Supplementary table]

### **3.3.1.3** With the implementation of 100%, 50% and 33% of closure of places

With the 100%, 50% and 33% of closure of places are implemented at  $R_0$  of 4, the rate of deaths will be increased from 110 days, 90 days, and 80 days with 9,912 deaths in 200 days (with 4.3 million infected

individuals), 10,417 deaths in 150 days (with 5.4 million infected individuals) and 10,502 deaths in 150 days (with 5.7 million infected individuals) will be observed, respectively. Furthermore, the number of days to achieve the peak of the infection curve will be 150 days, 120 days, and 110 days with an infected individuals of 4 million, 5 million and 6 million at the peak of the infection curves, respectively.

[Refer Supplementary Figure 3 and Supplementary table]

### 3. Discussion

As the COVID-19 pandemic progresses, countries are increasingly implementing a broad range of response activities<sup>17</sup>. The present study revealed that it will be necessary to layer multiple interventions, regardless of whether suppression or mitigation is the overarching policy goal. The choice of interventions ultimately depends on the relative feasibility of the implementation of the different strategies and their effectiveness. The compartment models were invented during the late 1920s, which are the most used models in epidemiology. Moreover, different approaches using agent-based simulations are still based on compartment models<sup>18</sup>. The SEIR model is very frequently used to explain the COVID-19 pandemic, which is basic and a reasonably good fit for the disease<sup>5</sup>. Results of our paper after simulating various scenarios indicate that disregarding social distancing and hygiene measures can have devastating effects on the Sri Lankan population. However, that model also shows that quarantine of contacts and isolation of cases can help halt the spread of novel coronavirus<sup>19</sup>. The accuracy of the predictions of the epidemiological models depends critically on the quality of the data feed into the model. If the data quality is good, the model can precisely describe the situations. A fitting example would be when accurately estimating the case fatality rate, which requires all cases of the disease and the number of dead<sup>4</sup>. However, during the COVID-19 pandemic, the number of deaths has often been highly inaccurate for many reasons, and the number of infected has also been incorrect. There can be undiagnosed cases during that period because of limited testing, which lead to inaccurate reporting<sup>4,20</sup>. Furthermore, one of the significant limitations of the model is that it does

not include the natural death and birth rates assuming those are constant<sup>4,21</sup>. In addition, during the COVID-19 pandemic, there are broad variations in estimations of Case Fatality Rate (CFR) that may be misleading. Countries may be more or less likely to detect and report all COVID-19 deaths. Furthermore, they may be using different case definitions and testing strategies or counting cases differently. Variations in CFR also may be explained in part by the way time lags are handled. Differing quality of care or interventions being introduced at different stages of the illness also may play a role. Finally, the profile of patients may vary between countries<sup>16</sup>.

The proposed model uses the predictors as given in the parameter table under the methodology section. The model was internally validated using the parameters available in the previous studies in the underpinning literature. As with any modelling approach, our findings relate to the assumptions and inputs of the model which lead to a major limitation. The assumptions with the greatest potential effect on our findings are the structural assumptions of a compartmental epidemiological model<sup>4</sup>. Furthermore, the predictive capability of the tool is highly dependent on several preliminary data for parameter estimation. This dependence may lead to data misinterpretation, especially considering the SIR model. Notably, an essential parameter in epidemic modelling is the 'basic reproduction ratio ( $R_0$ )'. The size of the  $R_0$  can be varied since it is determined by averaging many cases. Moreover,  $R_0$  depends on the contagiousness of the pathogen and the number of contacts of an infected person<sup>19</sup>. Furthermore, a study has found an  $R_0$  of 2.53, implying that the pandemic will persist in the human population in the absence of strong control measures<sup>5</sup>. The parameters, which are locally informed, form the basis of predicting and forecasting exercises accounting for different scenarios and impacts of COVID-19 transmission.

The internal, and external validation of the model is vital for the robust prediction of the ODEs in the model. Thus, the models were applied in the series of equations to get the equilibrium in the SEIRD model. Thereafter, the simulation of the validated model was performed to obtain the policy scenarios of the proposed model. Initially, the model comprised of one exposed individual, and the rest of the population was considered as a susceptible population<sup>22-24</sup>.

Therefore, the predictors were handled with care in the model to avoid overestimation or underestimation. In addition, the infection fatality ratio (IFR) of COVID-19 acts as a simple factor in the mortality effects of preventive strategies and does not alter the presented relative conclusions. There are limited serological studies to calculate IFR accurately during outbreaks. In such situations, estimates need to be made with routinely available surveillance data, which generally consist of time series of cases and deaths reported in aggregate <sup>16</sup>. When the available data was considered, the situation was almost like a similar study done in China <sup>15</sup>. The high mortality rate in the COVID-19 pandemic requires that our model have a designated compartment for deaths. The fatality compartment is the only compartment of the model with no further interaction with the rest of the epidemic system. Beta, the proportion between the rate of infection and the rate of spread ( $R_0$ ) was predicted when  $R_0$  equals 4. It is found that the peak of deaths in Sri Lanka may arrive after five months (150 days) following exposure with a maximum number of deaths around 10,617 if there are no preventive measures during the current wave. With high weight to the personal protective measures, the occurrence of deaths will be reduced by 68% and 71% reduction of the infected cases than without having any measures. With high weight to movement restrictions, 35.7% of deaths and 83% of the infected population will be reduced without having any measures. If we give equal consideration for personal protection, movement restriction and closure, only 10.6% of deaths and 36.5% infected population will be prevented without having any measures.

#### 4. Conclusion and Recommendation

In the present work, a computational model for predicting the spread of COVID-19 by the dynamic SIIRD model has been proposed. The dynamic model assumes a time-dependent death fraction. Various epidemiological parameters such as time of peak arrival, number of active cases and number of deaths during peak are evaluated for all cases and predictions were made against different preventive measures. The key conclusion that we emphasized from this study is the importance of strict adherence, maintenance, and monitoring of the self-preventive measures properly to minimize the death toll from

COVID-19. Policymakers need to streamline the resources that are essential for the smooth functioning of this strategy. Policies can be guided by these results which need to be implemented to lower the total population infected, and deaths which will lead to flattening of the curves.

#### Ethics Approval:

The research design and methodology used only anonymized data sets. This entails that no ethical approval is required.

#### Author Contributions:

Conceptualization and methodology; RMNUR, MSDW, SPJ, PCW, IG; Software; SPJ; Formal analysis; SPJ and RMNUR; Original draft preparation; RMNUR; Writing; RMNUR, PCW, IG; Review, editing and supervision; MSDW, TKT, CA, YA, SB.

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#### Declaration of Competing interest

There is no conflict of interest.

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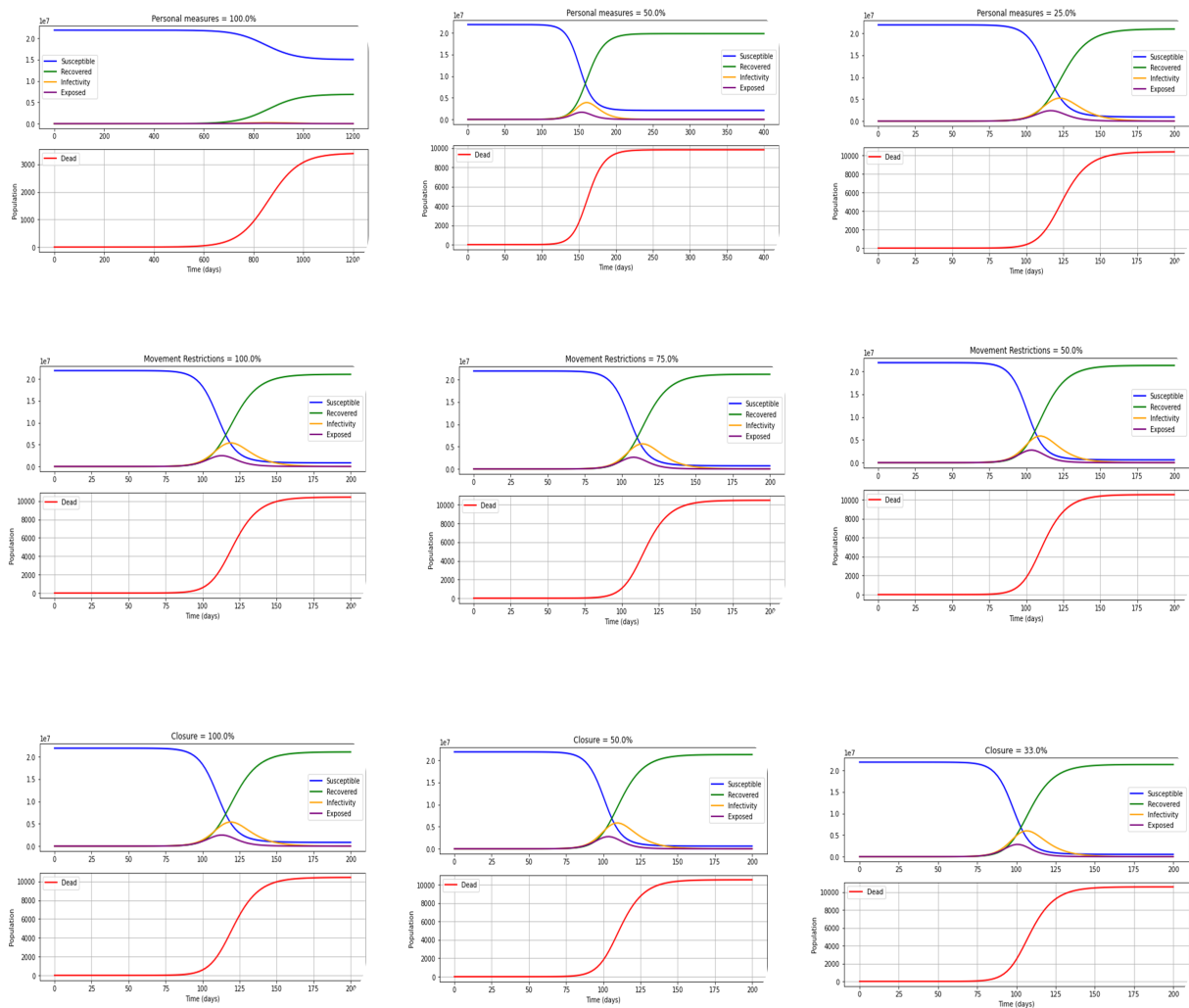


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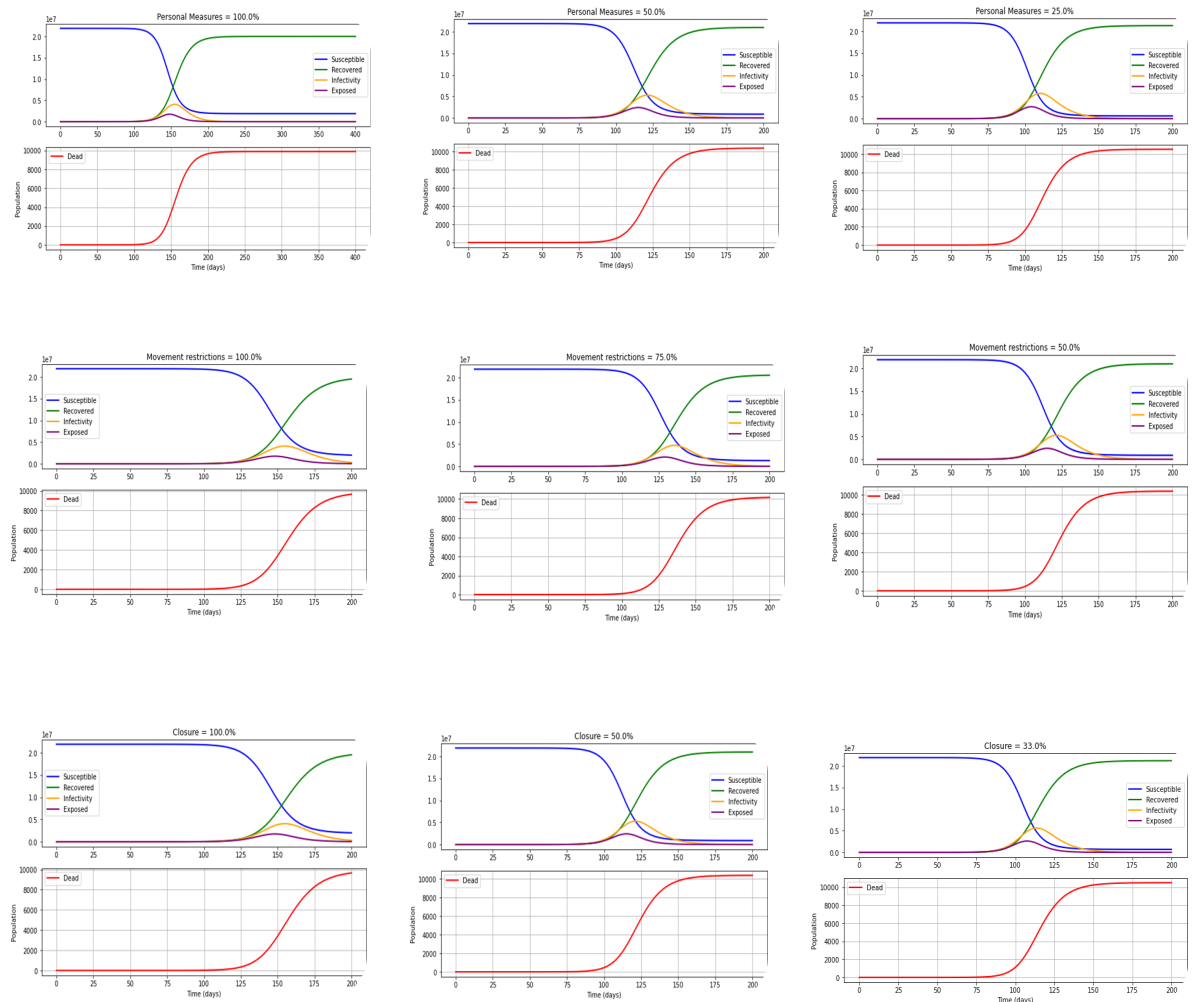
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# Predictive Analysis of COVID-19 Using an (SEIRD) Model



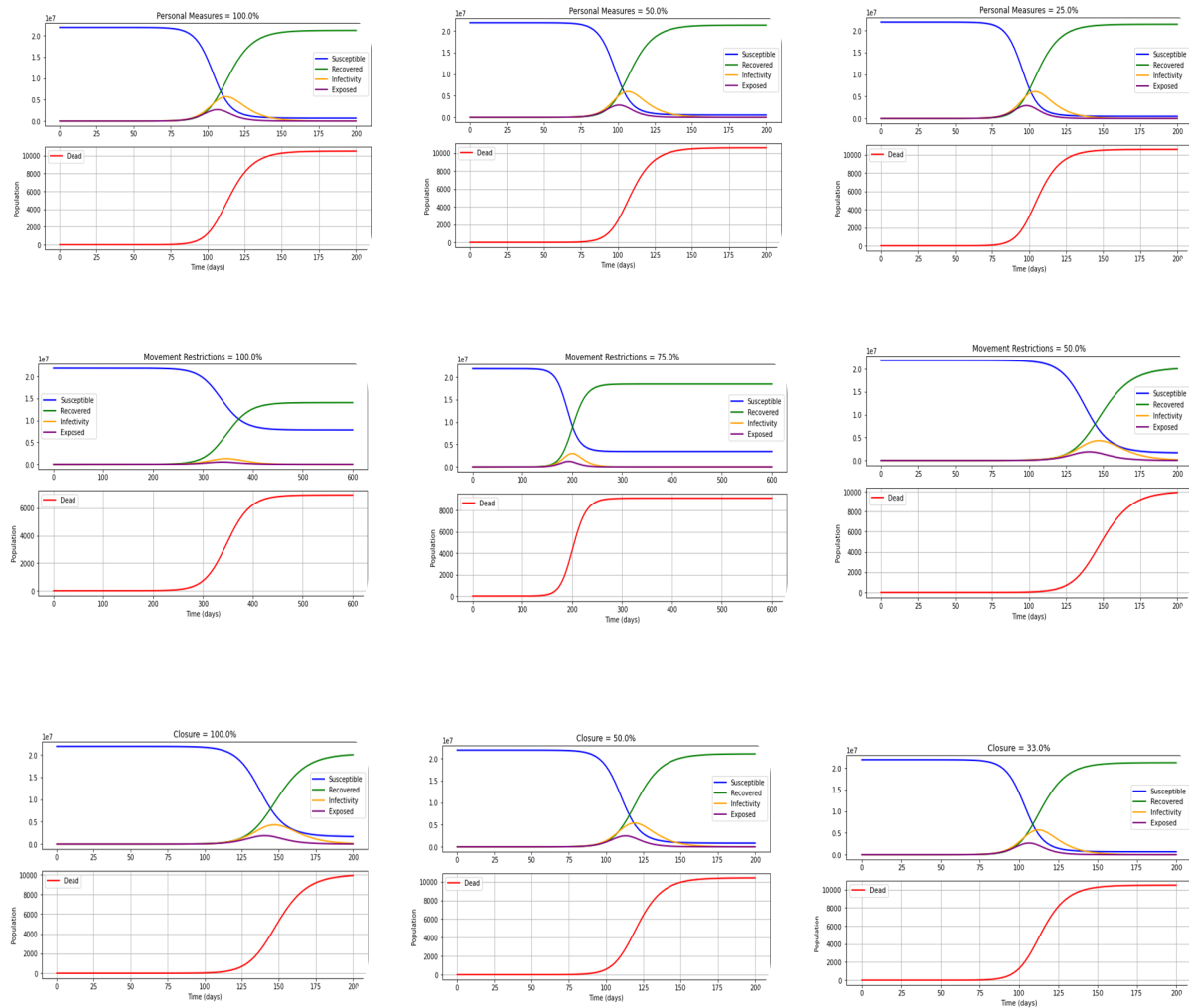
**Supplementary Figure 1. Predictions of SEIRD with 70% of personal protection, 15% of movement restrictions and 15% of closure places with  $R_0$  of 4 with different strategies**

# Predictive Analysis of COVID-19 Using an (SEIRD) Model



**Supplementary Figure 2. Predictions of SEIRD with personal protection, movement restrictions and closure of places with  $R_0$  of 4 with equal weight (33%) for all three dynamic variables**

# Predictive Analysis of COVID-19 Using an (SEIRD) Model



**Supplementary Figure 3. Predictions of SEIRD with 10% of personal protection, 60% of movement restrictions and 30% of closure of places with  $R_0$  of 4.**

**Supplementary Table 1. Predictions of SEIRD: Without any measures and with all three strategies [personal protection, movement restrictions and closure of places].**

Options	Weight	Policy	Death	Days	Exposed	Infected
No measures	-	Without	10617	150	3020859	6252900
SCENARIO 01						
Options	Weight	Policy	Death	Days	Exposed	Infected
Personal Measures	0.7	100	3409	1200	89317	236313
		50	9803	250	1670828	3903499
		25	10373	175	2386508	5230010
Movement Restrictions	0.15	100	10417	175	2474203	5384452
		75	10481	160	2625315	5635264
		50	10535	150	2755947	5845803
Closure	0.15	100	10417	175	2474203	5384452
		50	10535	150	2755947	5845803
		33	10566	145	2841936	5989039
SCENARIO 02						
Options	Weight	Policy	Death	Days	Exposed	Infected
Personal Measures	0.33	100	9897	200	1758096	4072475
		50	10387	175	2417448	5295067
		25	10525	150	2732444	5810125
Movement Restrictions	0.33	100	9897	200	1758096	4072475
		75	10165	200	2095694	4727986
		50	10387	175	2417448	5295067
Closure	0.33	100	9897	200	1758096	4072475
		50	10387	175	2417448	5295067
		33	10487	150	2634210	5651165
SCENARIO 03						
Options	Weights	Policy	Death	Days	Exposed	Infected
Personal Measures	0.1	100	10500	150	2668474	5706441
		50	10565	150	2838678	5984604
		25	10592	150	2935906	6129321
Movement Restrictions	0.6	100	6960	425	502580	1293874
		75	9142	250	1216562	2960599
		50	10020	200	1885260	4315111
Closure	0.3	100	10020	200	1885260	4315111
		50	10421	150	2474203	5384452
		33	10503	150	2673467	5714203